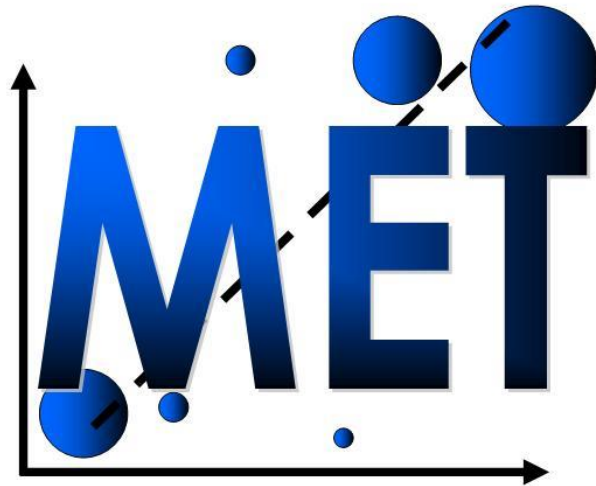


# **Tips and tricks for performing standard meta-regression analysis with SPSS**

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# Some bare facts

- A meta-regression analysis is a type of statistical analysis exploiting datasets build during systematic reviews
- It quantitatively explores interactions between a given effect (eg the risk of an event in patients treated with A vs B, as expressed with odds ratios) and a moderator or covariate of interest (eg prevalence of diabetes mellitus in each study)
- The key aspect of meta-regression is that each single study is given a specific weight which corresponds to its precision and/or size (to performed a weighted least squares [WLS] linear regression)

# Building your dataset

- To perform a standard (fixed-effect) meta-regression analysis with SPSS, it is crucial to compute and extract from each individual study:
  - Natural log of odds ratios (OR):  $\ln OR$
  - Standard error (SE) of OR (or  $\sqrt{\text{variance}}$ )
  - Variance of OR (or  $SE^2$ )
  - Inverse of variance:  $1/\text{variance}$
  - Sample size:  $N$
  - Moderators (ie covariates or independent variables) of interest (eg prevalence [in %] of diabetes mellitus [DM] in each study)

# Building your dataset

Ln OR

Moderator or covariate (eg DM)

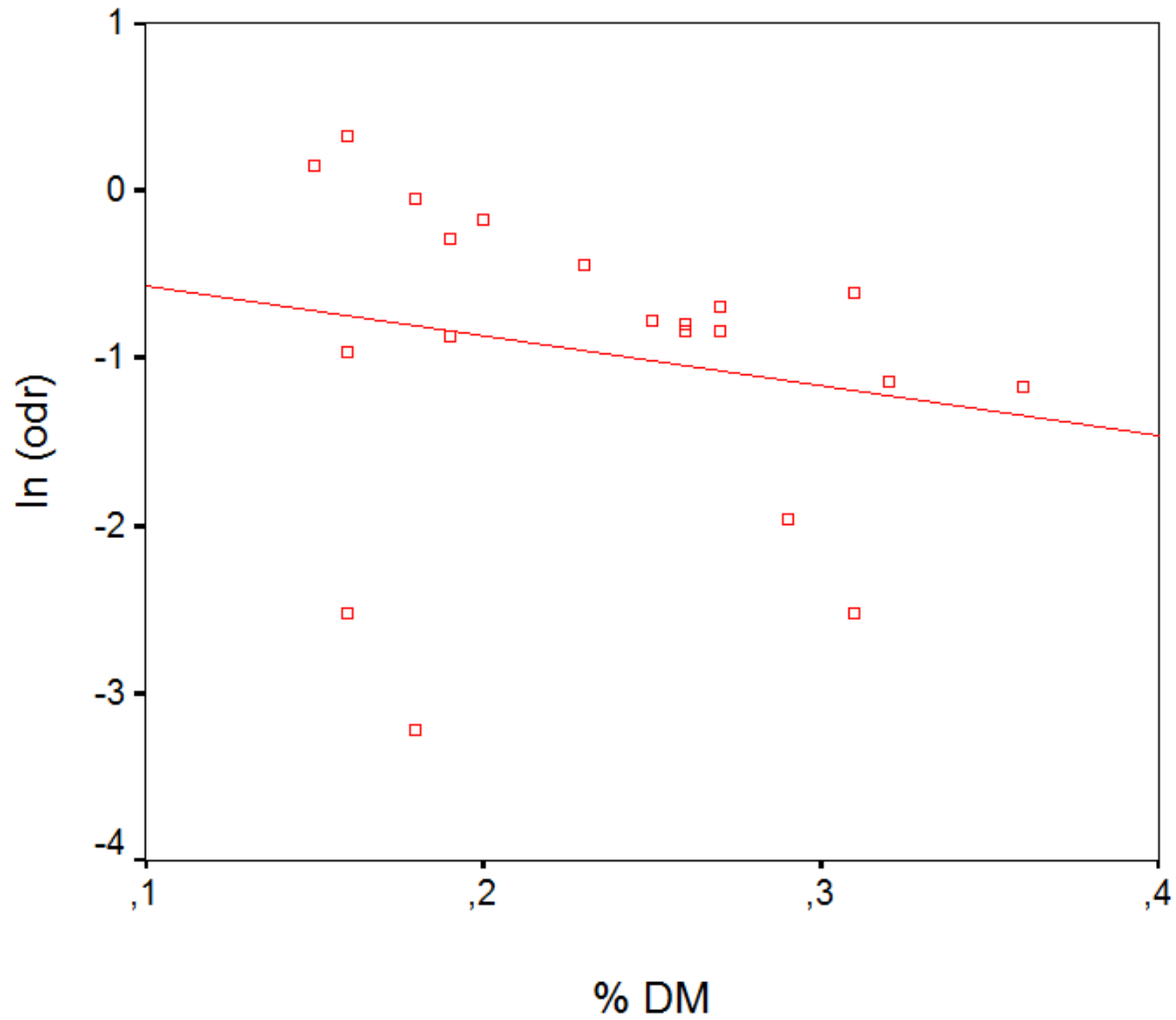
32:

	study	oddratio	lnoddrat	ssize	invssize	varlnor	selnor	precisio	snd	dm	invar
1	nagaoka	1,39	,33	47,00	,02	,50	,71	1,41	,47	,16	2,00
2	sekiguch	1,16	,15	175,00	,01	,07	,26	3,78	,56	,15	14,29
3	takeyasu	,95	-,05	863,00	,00	,01	,10	10,00	-,51	,18	100,00
4	park	,84	-,17	294,00	,00	,02	,14	7,07	-1,23	,20	50,00
5	racts	,75	-,29	396,00	,00	,03	,17	5,77	-1,66	,19	33,33
6	crest	,64	-,45	526,00	,00	,02	,14	7,07	-3,16	,23	50,00
7	han	,54	-,62	71,00	,01	,24	,49	2,04	-1,26	,31	4,17
8	kozuma	,50	-,69	119,00	,01	,12	,35	2,89	-2,00	,27	8,33
9	sekiya	,46	-,78	165,00	,01	,14	,37	2,67	-2,08	,25	7,14
10	tsuchik1	,45	-,80	252,00	,00	,05	,22	4,47	-3,57	,26	20,00
11	chen	,43	-,84	106,00	,01	,16	,40	2,50	-2,11	,26	6,25
12	kamishir	,43	-,84	111,00	,01	,17	,41	2,43	-2,05	,27	5,88
13	take	,42	-,87	82,00	,01	,16	,40	2,50	-2,17	,19	6,25
14	inoue	,38	-,97	66,00	,02	,29	,54	1,86	-1,80	,16	3,45
15	kunishim	,32	-1,14	76,00	,01	,37	,61	1,64	-1,87	,32	2,70
16	mizoguch	,31	-1,17	130,00	,01	,30	,55	1,83	-2,14	,36	3,33
17	yamasaki	,14	-1,97	35,00	,03	2,18	1,48	,68	-1,33	,29	,46
18	tsuchik2	,08	-2,53	37,00	,03	2,08	1,44	,69	-1,75	,31	,48
19	ochiai	,08	-2,53	44,00	,02	2,09	1,45	,69	-1,75	,16	,48
20	abe	,04	-3,22	38,00	,03	2,01	1,42	,71	-2,27	,18	,50
21											

Sample size

Inverse of variance

# Scatterplot



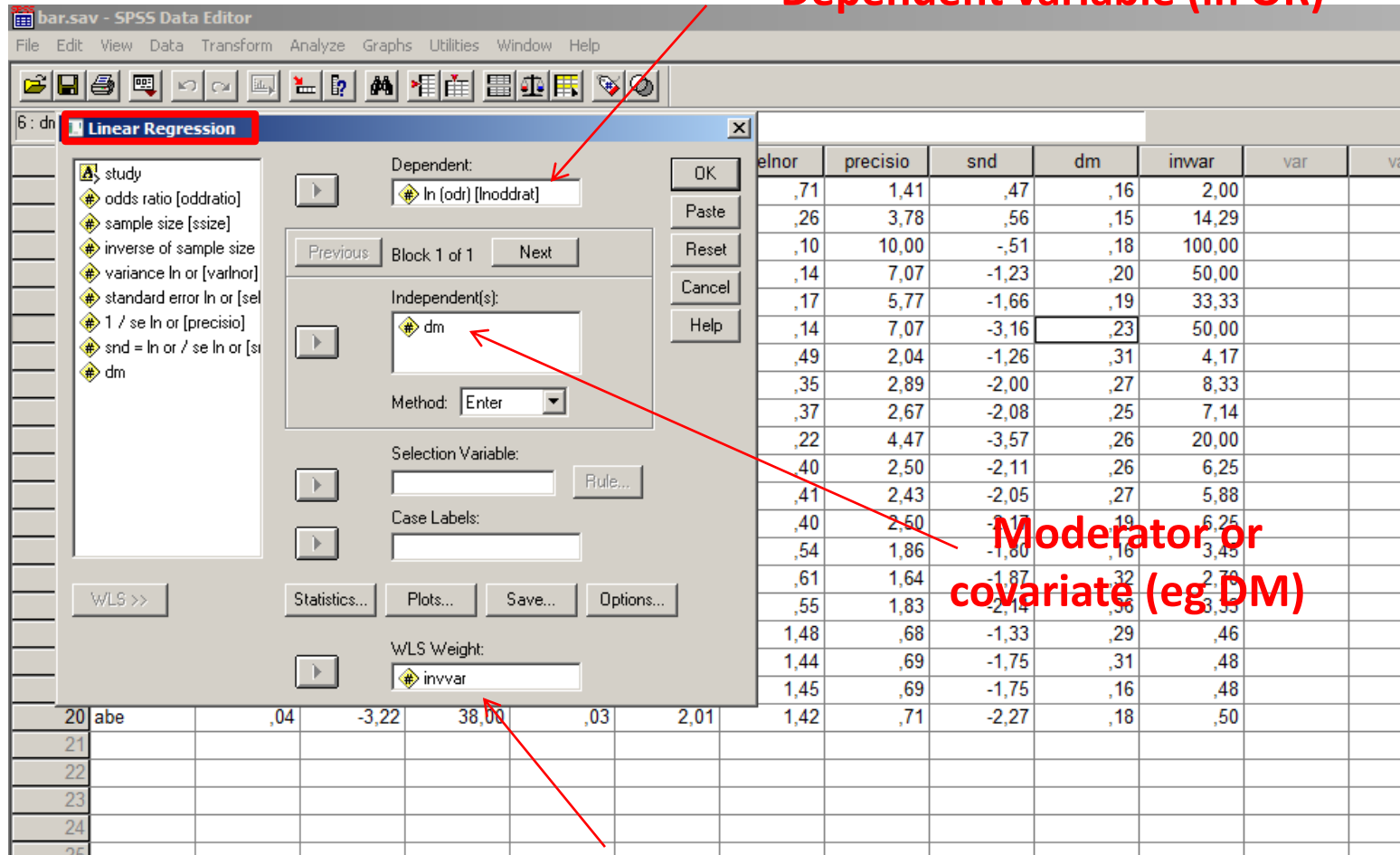
# Analysis with SPSS

The screenshot shows the SPSS Data Editor interface. The 'Analyze' menu is open, and the 'Regression' submenu is also open, with 'Linear...' selected. The data table in the background has the following structure:

	study	oddratio	invssize	varlnor	selnor	precisio	snd	dm	inwar	var	va
1	nagaoka	1,3	,02	,50	,71	1,41	,47	,16	2,00		
2	sekiguch	1,1	,01	,07	,26	3,78	,56	,15	14,29		
3	takeyasu				,10	10,00	-,51	,18	100,00		
4	park				,14	7,07	-1,23	,20	50,00		
5	racts	,7			,17	5,77	-1,66	,19	33,33		
6	crest	,6			,14	7,07	-3,16	,23	50,00		
7	han	,5			,49	2,04	-1,26	,31	4,17		
8	kozuma	,5			,35	2,89	-2,00	,27	8,33		
9	sekiya	,4			,37	2,67	-2,08	,25	7,14		
10	tsuchik1	,4			,22	4,47	-3,57	,26	20,00		
11	chen	,4			,40	2,50	-2,11	,26	6,25		
12	kamishir	,43	-,84	111,00							
13	take	,42	-,87	82,00							
14	inoue	,38	-,97	66,00	,02	,29	,54	1,86	-1,80	,16	3,45
15	kunishim	,32	-1,14	76,00	,01	,37	,61	1,64	-1,87	,32	2,70
16	mizoguch	,31	-1,17	130,00	,01	,30	,55	1,83	-2,14	,36	3,33
17	yamasaki	,14	-1,97	35,00	,03	2,18	1,48	,68	-1,33	,29	,46
18	tsuchik2	,08	-2,53	37,00	,03	2,08	1,44	,69	-1,75	,31	,48
19	ochiai	,08	-2,53	44,00	,02	2,09	1,45	,69	-1,75	,16	,48
20	abe	,04	-3,22	38,00	,03	2,01	1,42	,71	-2,27	,18	,50
21											
22											
23											

# Analysis with SPSS

Dependent variable (ln OR)



The image shows the SPSS Linear Regression dialog box and a data table. The dialog box is titled "Linear Regression" and has the following settings:

- Dependent: ln (odr) [lnoddrat]
- Independent(s): dm
- Method: Enter
- Selection Variable: (empty)
- Case Labels: (empty)
- WLS Weight: invvar

The data table below shows the following columns: elnor, precisio, snd, dm, inwar, var, and va. The values in the table are:

elnor	precisio	snd	dm	inwar	var	va
,71	1,41	,47	,16	2,00		
,26	3,78	,56	,15	14,29		
,10	10,00	-,51	,18	100,00		
,14	7,07	-,123	,20	50,00		
,17	5,77	-,1,66	,19	33,33		
,14	7,07	-,3,16	,23	50,00		
,49	2,04	-,1,26	,31	4,17		
,35	2,89	-,2,00	,27	8,33		
,37	2,67	-,2,08	,25	7,14		
,22	4,47	-,3,57	,26	20,00		
,40	2,50	-,2,11	,26	6,25		
,41	2,43	-,2,05	,27	5,88		
,40	2,50	-,2,11	,26	6,25		
,54	1,86	-,1,80	,16	3,45		
,61	1,64	-,1,87	,32	2,79		
,55	1,83	-,2,14	,36	3,33		
1,48	,68	-,1,33	,29	,46		
1,44	,69	-,1,75	,31	,48		
1,45	,69	-,1,75	,16	,48		
1,42	,71	-,2,27	,18	,50		

Moderator or covariate (eg DM)

Inverse of variance



# Results with SPSS

Model Summary

Model	R	R Square	Adjusted R Square	Std. Error of the Estimate
1	,742 <sup>a</sup>	,551	,526	1,01899

a. Predictors: (Constant), DM

ANOVA<sup>b,c</sup>

Model		Sum of Squares	df	Mean Square	F	Sig.
1	Regression	22,957	1	22,957	22,109	,000 <sup>a</sup>
	Residual	18,690	18	1,038		
	Total	41,647	19			

a. Predictors: (Constant), DM

b. Dependent Variable: ln (odr)

c. Weighted Least Squares Regression - Weighted by INVVAR

Coefficients<sup>a,b</sup>

Model		Unstandardized Coefficients		Standardized Coefficients	t	Sig.
		B	Std. Error	Beta		
1	(Constant)	1,110	,310		3,575	,002
	DM	-6,906	1,469	-,742		

a. Dependent Variable: ln (odr)

b. Weighted Least Squares Regression - Weighted by INVVAR

Beta (meta-regression coefficient)

P value for interaction

# Reporting results

- In our example, we can conclude that we found *a significant interaction between the treatment* of interest vs the comparator (expressed as In OR) *and the prevalence of diabetes (beta=-6,9, p<0.001)*.
- Thus *treatment A becomes significantly more beneficial than treatment B with an increasing prevalence of diabetes*

# Further details

- Any SPSS version can be used (eg 11.0 [the version used in these examples] to 16.0)
- In selected cases, sample size can be used instead of the inverse of variance as weight for the regression analysis (yielding in this example  $\beta = -6.1$ ,  $p = 0.018$ )
- This type of meta-regression is based on a fixed-effect method, but other approaches are needed for a random-effect meta-regression (eg GLM)
- Examples of similar meta-regression analyses:
  - Biondi-Zoccai et al, *American Heart Journal* 2005;149:504-11
  - Biondi-Zoccai et al, *American Heart Journal* 2007;153:587-93
  - Biondi-Zoccai et al, *American Heart Journal* 2008;155:1081-9

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<http://www.imcsc-group.com>

